

1. (a) correctly deduces extension is 2.6 or 2.7 mm ✓

*Should see  $AC^2 = 1.50^2 + (6.34 \times 10^{-2})^2$ ;*

*(new)  $AC = 1.50134$ ;*

*Extension of  $AC = (1.50134 - 1.50 =) 0.00134$  m or 1.34 mm; and then doubles this*

*Final value must be to at least 2 sf*

1

- (b) evidence of correct working: ✓

$\sin \theta = \frac{6.34 \times 10^{-2}}{\text{their new AC}}$  or  $\theta = 2.42^\circ$  seen

OR

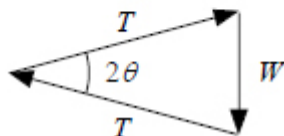
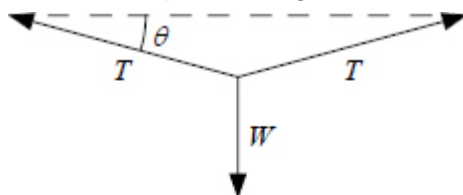
$W = 2T \sin \theta$  seen

OR

suitable vector diagram with  $\theta$  labelled

tension correctly calculated from

*For 1✓ acceptable diagrams are shown below*



*Correct final answer of 11.8 N or 12 N earns both marks*

2

- (c)
- ruled
- best-fit line between first and sixth points;

line must pass above 2<sup>nd</sup> point**and**must pass below 4<sup>th</sup> point <sub>1</sub>✓*for <sub>1</sub>✓ withhold mark if line is thick, faint or discontinuous*gradient calculated from  $\frac{\Delta(W/y)}{\Delta y^2}$  with  $\Delta y^2 \geq 0.004$  <sub>2</sub>✓*(gradient ~ 3850)**for <sub>2</sub>✓ condone read off errors of  $\pm 1$  division**for <sub>3</sub>✓ note that  $1.50^3 = 3.375$  so allow sub of 3.38**for <sub>4</sub>✓ reject 2 sf  $1.2 \times 10^{11}$* evidence of using  $E = \frac{\text{their gradient} \times 1.50^3}{1.11 \times 10^{-7}}$  <sub>3</sub>✓*for <sub>3</sub>✓ note that  $1.50^3 = 3.375$  so allow sub of 3.38* $E$  in range  $1.10 \times 10^{11}$  to  $1.24 \times 10^{11}$  (Pa) <sub>4</sub>✓*for <sub>4</sub>✓ reject 2 sf  $1.2 \times 10^{11}$* 

4

- (d)
- $\text{kg s}^{-2}$
- ✓

*no credit for  $\text{N m}^{-1}$* *correct answer only*

1

[8]

2.

- (a) 28 (°C) ✓

1

- (b) The energy transferred reduces the number of nearest atomic neighbours

*First alternative must not imply total loss of intermolecular forces or neighbours.*

*A reference to 'breaking the bonds' implies all the bonds and does not gain the mark.*

*No mark for saying bonds weaken.*

*However these errors in discussing the bonds does not prevent a mark coming from another point*

OR

allows atoms to move their centre of vibration

*Last alternative might be expressed as 'atoms change from fixed positions to them being able to slide around each other'.*

*Ignore any references to changes in separation.*

OR

breaks some of the (atomic) bonds

OR

crystalline to amorphous ✓ (owtte)

*An explanation that involves increasing the kinetic energy will lose the mark.*

*So will any description that implies it becomes a gas.*

1

- (c) The (total or mean) kinetic energy remains constant. ✓  
The (total or mean) potential energy increases. ✓

2

- (d) The mean speed/mean kinetic energy increases ✓

*Ignore references to larger separation (because it's not always true): collisions (as it is not a gas) or measures of randomness (which are usually too vague).*

*Condone use of average for mean.*

*Don't allow velocity instead of speed.*

*During this time interval the atoms are all in the liquid form so no credit for references that indicate a change of state.*

1

- (e) Using both
- $\Delta Q = mc\Delta\theta$
- and**
- $\Delta Q = P\Delta t$
- ✓

$$\left( c = \frac{P\Delta t}{m\Delta\theta} = \frac{35 \times (14.8 - 11.2) \times 60}{0.25 \times (110 - 28)} = 369 \right)$$

$$c = 370 \text{ ✓ (allow 365–375)}$$

$$\text{J kg}^{-1} \text{ K}^{-1} \text{ ✓ (or J kg}^{-1} \text{ C}^{-1})$$

*First mark can be given by seeing the substitution which may have some errors for example not using exactly 28. These will be penalised in the second mark.*

*Correct answer gains first two marks NB 400 J kg<sup>-1</sup> K<sup>-1</sup> shows candidate has wrongly made calculations for the solid. No mark for the unit if a solidus is used because of the uncertainty of whether the K is on the top or bottom line. (which is correct J / kg / K or J / kg K ?)*

*However allow a prefix if kilojoules are used for example.*

3

- (f) (Using both
- $\Delta Q = ml$
- and
- $\Delta Q = P\Delta t$
- )

$$l \left( = \frac{P\Delta t}{m} \right) = \frac{35 \times ((11.2 - 1.8) \times 60)}{0.25} = 79 \text{ kJ kg}^{-1} \text{ ✓}$$

hence M = gallium ✓ (condone an ecf consistent with the calculation provided a comment is made if the value falls outside the range of the table)

*The calculation yields 1.3 kJ kg<sup>-1</sup> if the 60 seconds is omitted.*

*Interim stage heat supplied = 19.7 kJ*

*A valid calculation must be shown to gain this second mark.*

2

[10]

3.

- (a) general procedure

- collect water for a measured time;
- **divide** measured / calculated volume by time to determine rate <sub>1</sub>✓  
***static** volume should be measured **after timing**, eg  
 reject 'measure time to fill cylinder' or <sub>1</sub>✓ = 0  
 accept 'find V for different t, plot V against t,  
 gradient = Q' but not if by continuous flow method*

1

names 2 suitable instruments  $2\checkmark$

for time use stopwatch or stopclock;

treat as neutral: 'timer' or 'light gate / data logger'

for volume use measuring cylinder / graduated beaker;

treat as neutral: 'measuring beaker' / 'burette'

OR

for mass use balance; use of  $V = \frac{m}{\rho}$  (any subject)

condone 'volume of 1 g is 1 cm<sup>3</sup>;

reject 'weigh'/'weighed'

1

method to reduce uncertainty in volume  $3\checkmark$

read water level at bottom of the meniscus (or wtte or allow sketch);

don't penalise further use of 'beaker' treat as neutral: 'dry cylinder before use'

OR

procedure to avoid systematic error in determining mass, eg tare / reset / zero the balance with empty beaker on pan / find mass of beaker empty and subtract from mass of beaker plus water;

don't penalise further use of 'weigh'/'scales' allow 'use balance on a horizontal surface'

method to reduce uncertainty in time  $4\checkmark$

$\checkmark$  ensure stopwatch is zeroed / reset before use

added detail  $5\checkmark$   $6\checkmark$   $7\checkmark$

collect large(r) volume / for long(er) time /  $\geq 60$  s  $5\checkmark$

this reduces percentage / fractional uncertainty  $6\checkmark$

read at eye level or wtte, to reduce parallax  $7\checkmark$

MAX 2

(b) sensible mark identifying second box indicating (N m<sup>-2</sup> s) only

**auto marked question**

1

- (c) 19.8% (from  $4 \times 2.9\% + 1.8\% + 6.4\%$ ) earns both marks ✓✓  
*don't insist on seeing '%' unless 0.198 etc*  
*allow final answer rounded to 20%*  
*allow 1 mark for 0.198 or 0.20 but reject 1 sf 0.2*  
*for incorrect answer the following can earn one mark:*  
*(percentage uncertainty in  $d$  ⇒)  $4 \times 2.9\% / 11.6\% / 12\%$  seen in working but wrong final answer*  
*OR missing  $\times 4$  eg  $2.9\% + 1.8\% + 6.4\% = 11(.1)\%$*   
*OR incorrect multiplier applied to 2.9 eg  $2 \times 2.9\%$*   
*OR with  $\times 4$  applied wrongly eg*  
 $2.9 + (1.8 \times 4) + 6.4 = 16.5\% \text{ or } 17\% /$   
 $2.9 + 1.8 + (6.4 \times 4) = 30(.3)\%$

2

- (d) appropriate use (ie close to and parallel with the vertical side of the tube, but not necessarily in contact with the tube) of:

a metre ruler made vertical using a set-square in contact with the bench / floor / (flat) surface

OR

a plumb line / weight on vertical string (reject 'pendulum')

OR

a spirit level ✓

*the mark can be awarded for a convincing sketch, eg use of a very large set square without ruler*

*accept 'tri-square' for set square*

*the only acceptable horizontal reference is the bench: don't allow use of horizontal T, eg set square placed on T even if sketch looks convincing*

*no credit for attempt to show graduations on tube are horizontal / use of 'protractor' for set-square / 'each side of meniscus at same level' / use of clamp stand rod or wall as vertical reference*

1

- (e) attempted use of  $y = y_0 e^{-\lambda t}$  with substitution of values of  $y$ ,  $y_0$  and  $\Delta t$  obtained **directly** from **Figure 4** / plausible values obtained from **Figure 7**

OR

tangent drawn on **Figure 4** to find  $\frac{dy}{dt}$  ;

use of  $\frac{dy}{dt} = (-)\lambda \times y^*$  and  $y^*$  is where tangent meets the curve  $_1\checkmark$

valid calculation **seen** leading to a result for  $\lambda$  that rounds to 3 sf in range 4.45 to 4.55  $\times 10^{-3}$  ( $s^{-1}$ );

award if seen in body of answer  $_2\checkmark$

for  $_1\checkmark$  do not penalise  $y / y_0$  interchanged, read off

errors, manipulation errors /  $\Delta t = t / t_0 / \frac{t}{t_0}$  or use of incorrect

symbols eg A, N for y;

no ecf for  $_2\checkmark$

allow use of **Figure 7**

$y_0 = 60.0$  cm,  $y = 52.2$  cm;  $\Delta t = 60 - 29 = 31$  s

$52.2 = 60 e^{-31\lambda}$ ;  $\therefore \lambda = 4.49 \times 10^{-3} s^{-1}$

if the intermediate step is seen, eg

$$\lambda = \frac{1}{\Delta t} \times \ln\left(\frac{y_0}{y}\right) = \frac{1}{31} \times \ln\left(\frac{60}{52.2}\right)$$

accept 'log' for 'ln'

no credit allowed for reverse-working method in a 'Show that' problem

no credit for assuming straight line and  $y = mx + c$ , measuring the gradient then by determining the

equation of the line or by using  $m = \frac{y_2 - y_1}{t_2 - t_1}$

determines the half life; finds  $\lambda$  from  $\frac{\ln 2}{\text{half life}}$

no credit for common error  $\lambda = \text{gradient} \times 2$

for  $_2\checkmark$  look for any answer in the body that deserves credit (for a 'Show that' we can overlook truncation in the value given on the answer line)

variation on use of use of  $y = y_0 e^{-\lambda t}$  for  $1\checkmark$ :

$\lambda$  can be found if points  $t_1, y_1$  and  $t_2, y_2$  are used and the values substituted into

$$\frac{y_1}{e^{-\lambda t_1}} = \frac{y_2}{e^{-\lambda t_2}};$$

if this approach is used substitute the data into  $\lambda = \frac{1}{\Delta t} \times \ln\left(\frac{y_0}{y}\right)$  to confirm that the

result for  $\lambda$  is correct before awarding  $2\checkmark$

1  
1

- (f) use of  $T_{1/2} = \frac{\ln 2}{\lambda}$  OR  $\frac{\ln 0.5}{-\lambda}$  with substitution of **recognisable**  $\lambda$ ;

evaluated to  $\geq 2$  sf in range 140 s to 170 s  $\checkmark$

*calculation can have any subject;*

*accept use of 2 sf  $\lambda = 4.5 \times 10^{-3}$  usually leading to 154 but allow correctly truncated to 150 or  $1.5 \times 10^2$*

1

- (g) (mostly) continuous line drawn on **Figure 7**;

below dashed line and with negative gradient between  $t = 0$  and  $t = 120$ ;

do not penalise linear line or shaky / thick / hairy line or slight

discontinuities; accept  $\approx$  horizontal after 100 s  $1\checkmark$

line passes through:

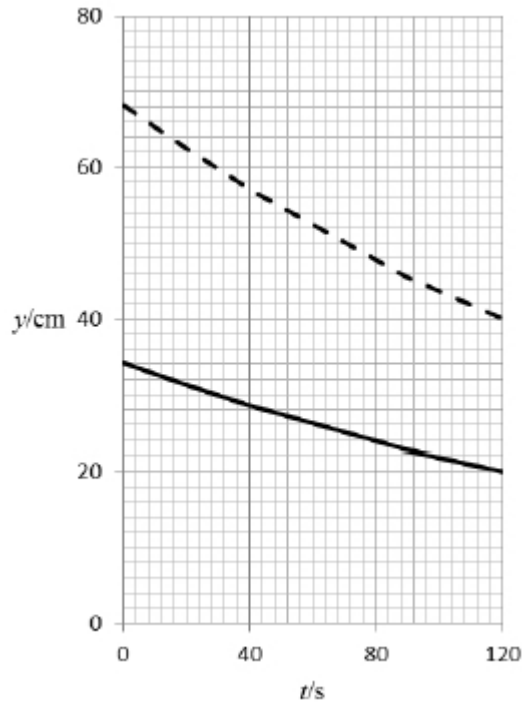
t/s	y/cm	
	min	max
0	33	35



AND through EITHER of

$t/s$	$y/cm$	
	min	max
60	24	28
120	17	23

2✓



2

[13]

4.

(a) Mass of alpha particle =  $\frac{2 \times 1.6 \times 10^{-19}}{4.81 \times 10^7} = 6.6(53) \times 10^{-27} \text{ (kg)}$

*Allow mass =  $2 \times m_p + 2 \times m_n = 6.696 \times 10^{-27} \text{ kg}$*

*Allow mass =  $4 \times 1.66 \times 10^{-27} \text{ kg} = 6.64 \times 10^{-27} \text{ kg}$*

*Allow mass =  $4 \times 1.67 \times 10^{-27} \text{ kg} = 6.68 \times 10^{-27} \text{ kg}$*

*Allow slight rounding on mass (must be correct to 2 sf)*

**OR**

Correctly re-arranged k.e. equation (with  $v^2$  or  $v$  as subject) with  $8.1 \times 10^{-13}$  (J) substituted correctly  $_1\checkmark$

$1.56 \times 10^7$  seen  $_2\checkmark$

Condone **incorrect mass** in otherwise correct substitution **with  $v$  or  $v^2$  recognisable** as subject .

Alternative approaches are:

$$v = \sqrt{\frac{E_k \times \text{specific charge}}{e}}$$

$$v = \sqrt{\frac{2 \times E_k}{m_\alpha}}$$

Must see answer to at least 2 sf

Must see attempt to use one of the alternative approaches to support correct answer

2

(b) Use of  $W = Fs$ ,  $F = 8.1 \times 10^{-13} \div 3.5 \times 10^{-2}$   $_1\checkmark$

( $F=$ )  $2.3 \times 10^{-11}$  (N)  $_2\checkmark$

Condone POT error

Correct answers gets 2 marks

**OR**

Use of an appropriate equation of motion to find  $a$  **and**  $F = ma$

(allow their mass and their velocity in this sub)  $_1\checkmark$

Condone POT error

( $F=$ )  $2.3 \times 10^{-11}$  (N)  $_2\checkmark$

Condone POT

**OR**

Use of an appropriate equation of motion to find  $t$  **and**  $F = \Delta mv/t$

(allow their mass and their velocity in this sub)  $_1\checkmark$

( $F=$ )  $2.3 \times 10^{-11}$  (N)  $_2\checkmark$

[answer is

$$\frac{(\text{their speed})^2 \times (\text{their } m_\alpha)}{0.070}$$

Using  $2 \times 10^7 \text{ m s}^{-1}$  yields(  $5.71 \times 10^{15} \times \text{their } m_\alpha$ ) – allow 1 sf answer in this case

Expect to see  $3.8 \times 10^{-11}$  (N) or  $4 \times 10^{-11}$  (N)]

2

(c) (Number of ions formed over range = )

$$5.1 \times 10^4 \times 3.5 \text{ seen or } 1.785 \times 10^5 \text{ (ions) seen}$$

**OR**

$$8.1 \times 10^{-13} \text{ converted to eV seen } \textsubscript{1}\checkmark$$

$$8.1 \times 10^{-13} \div 1.785 \times 10^5$$

**OR**

$$5.06 \times 10^6 \div 1.785 \times 10^5 \text{ seen } \textsubscript{2}\checkmark$$

*Condone POT error in first mark*

*Ignore units*

*$8.1 \times 10^{-13} \div (5.1 \times 10^4 \times 3.5)$  is worth 1st and 2nd marks*

*Condone POT errors in second mark*

*Correct answer obtains 3 marks*

$$28 (.4) \text{ (eV) } \textsubscript{3}\checkmark$$

*99(.3) (eV) scores 1 mark*

3

(d) ( $Q =$ )  $0.85 \times 10^{-3} \times 1.2 \times 10^{-9} = 1.02 \times 10^{-12}$

**OR**

$$n = (\text{their } Q) \div 1.6 \times 10^{-19} \textsubscript{1}\checkmark$$

$$n = 6.4 \times 10^6 \text{ (c.a.o.) } \textsubscript{2}\checkmark$$

*Condone one POT error for one mark*

2

(e) At 3.5 cm the pd drops / the current begins

**OR**

When the source is 10 cm away no ionisation occurs in the air gap (because the alpha particles have insufficient range to reach the air gap)

**OR**

When the radioactive source is close enough (approx. 5 cm) ionisation occurs  $\checkmark$

**OR**

When beyond 3.5 cm no change in pd / current equals zero

*Must be sense of abrupt change**MAX 3*When ionisation occurs / charge carriers are liberated in the air gap:*Allow more ionisation for second mark*

resistance has decreased

**OR**

current increases (from zero)

**OR**

the potential difference decreases (with a maximum current) (to its minimum value) (across the air gap)✓

From 10 cm separation until 5 cm (approx) separation nothing changes / appreciates that pd is 4500 V / pd across gap = 4500 V until ionisation occurs ✓

Current is produced: the pd across 5 MΩ resistor is 4250 V / most pd is across the 5 MΩ resistor / small pd across air gap ✓Current is produced and the pd across the air gap is 250 V✓Current is produced and the pd across the air gap is 250 V✓

3

**[12]****5.**

- (a) Length of resistance wire =  $50 \times 2 \times 3.14 \times 4 \times 10^{-3} = 1.26 \text{ m} \checkmark$   
*or  $50 \times 3.14 \times 8 \times 10^{-3}$*

1

Substitution of data in resistance formula

or  $A = \rho L/R$  seen ✓*ecf for incorrect length from attempt at a calculation*

1

Area of cross section =  $2.1(1) \times 10^{-9} \text{ (m}^2\text{)} \checkmark$ 

1

- (b) Maximum possible pd across 0.25 kΩ is 9 V ✓

1

(Max power dissipated) =  $9^2/250 = 0.32 \text{ W}$  so resistor is suitable ✓

1

**OR**

When resistor dissipates maximum power

$$V^2 = 0.36 \times 250 \text{ so max } V = 9.5 \text{ V } \checkmark$$

This is higher than the supply pd so this power dissipation so will not be reached  $\checkmark$ **OR**Power dissipated when output is 5 V =  $4^2/250 = 0.064 \text{ W } \checkmark$ Which is below the max power dissipation of 0.36 W  $\checkmark$  *$9^2/250 = 0.32 \text{ W}$  with incorrect conclusion scores 1**Second mark implies the first* *$9^2/0.36 = 225 \Omega$  alone is not a useful calculation in the context. Still need to explain the effect of using the 250  $\Omega$* *First mark is for a valid useful calculation*

- (c) Use of potential divider formula to determine resistance of parallel combination
- $\checkmark$

0.313 k $\Omega$   $\checkmark$

Use of equation for resistors in parallel  $\checkmark$ 

540  $\Omega$   $\checkmark$

*Alternative to find resistance of combination**Current in circuit at room temp =  $4/250 = 16 \text{ mA } \checkmark$* *Resistance of combination =  $5/16\text{mA} = 313 \Omega \checkmark$* *OR*

$$\frac{V_{\text{combination}}}{V_{250}} = \frac{R_{\text{combination}}}{250}$$

$$\frac{5}{4} = \frac{R_{\text{combination}}}{250}$$

$$R_{\text{combination}} = 313 \Omega$$

**OR**Current in circuit at room temp =  $4/250 = 16 \text{ mA } \checkmark$ Current in thermistor =  $5/750 = 6.7 \text{ mA } \checkmark$ Current in R = 9.3 mA  $\checkmark$ 

$$R = 5/9.3 = 540 \Omega \checkmark$$

2sf answer  $\checkmark$ 

(only allowed with some relevant working leading to a resistor value)

- (d) Resistance of thermistor decreases ✓

Output pd decreases since

resistance of the parallel combination /circuit decreases

1

**OR**

lower proportion of pd across the parallel combination (or higher proportion across 250Ω)

**OR**

higher current so greater pd across the 0.25 k resistor ✓

*Accept correct consequences for R increasing with temperature for  
1 mark*

1

**[12]**

**6.**

- (a) (Total) kinetic energy ✓

1

- (b) Attempt to apply conservation of momentum ✓

*NB This is a 'show that' so all stages must be seen*

1

$$16\,000 \times 2.8 - 12\,000 \times 3.1 = 28\,000 v \quad \checkmark$$

*Must see substitution*

1

$$v = 0.27(1) \text{ (m s}^{-1}\text{)} \quad \checkmark$$

*Correct equation (watch signs) gets first and second marks*

1

- (c) Impulse = 16 000(2.8 – 0.271) or 12 000(3.1 + 0.271) = 4.0(5) × 10<sup>4</sup> ✓

*If 0.3 m s<sup>-1</sup> used then impulse will be 4.0 × 10<sup>4</sup> or 4.08(4.1) × 10<sup>4</sup>*

1

$$\text{N s or kg m s}^{-1} \quad \checkmark$$

1

- (d) Trucks move in opposite directions/rebound ✓

1

Velocity of **B** is greater than that of **A** because total momentum is to the right OR **B** has lower mass ✓

**OR**

Momentum of **B** after collision is same as that of **A** before the collision (and vice versa)

1

**[8]**

7.

- (a) (The electric field strength at a point) is the force per unit charge ✓

On a (small) positive charge (at that point) ✓  
(only given if an attempt is made at the first mark)

*An equation is not sufficient unless the symbols are defined. Unit charge can be replaced by coulomb.*

*(Reference to a point is not needed as it is in the question but a reference to moving between points or other points can cancel a mark.)*

*If "mass" appears in the answer, it must be a synonym for "object".*

2

- (b) (At B) the (magnitude) of the electric field strength due to Q = the magnitude of the electric field strength due to the 46 μC charge ✓

$$\frac{46 \times 10^{-6}}{4\pi\epsilon_0(0.054)^2} = \frac{Q}{4\pi\epsilon_0(0.066)^2} \quad \checkmark$$

$$(Q = 46 \times 10^{-6} \left(\frac{0.066}{0.054}\right)^2)$$

$Q = 6.9 \times 10^{-5}$  (C) ✓ (68.7 μC rounding must be correct)

*This first mark may be inferred from the equation but must refer to an electric field.*

*(Note: the answer  $5.6 \times 10^{-5}$  shows that an inverse square has not been used).*

*A correct answer gains full marks.*

*Allow first and second marks even with arithmetic errors ie  $10^{-6}$  missing, distances in mm and the constant  $4\pi\epsilon_0$  not present.*

*Award one mark if they use the inverse square coulomb law*

*equation to correctly calculate one side of the equation  $\left(\frac{46 \times 10^{-6}}{4\pi\epsilon_0(0.054)^2}\right)$*

*=)  $1.4 \times 10^8$ .*

3

- (c) Work must be done on the positive proton because P is at a positive potential

**OR**

Work must be done (on the positive proton) due to the repulsive forces / because like charges repel OWTTE ✓

The potential at infinity is zero ✓

2

- (d) (As the ball falls) it experiences both vertical and horizontal forces/accelerations ✓

The ball is given a constant acceleration

**OR**

The motion is in a straight line

OR

The motion is at 30° to the vertical (away from the wall) ✓

In this 2nd mark a wrong answer will gain zero marks even if accompanied by a correct answer

*'Horizontal' needs to be accompanied by some implication that it is away from the wall. This may be by some reference to repulsion from the wall.*

*Moves diagonally can imply straight.*

*"Moving away and downwards" does not imply straight.*

*Do not credit "horizontal straight line" or "vertical straight line."*

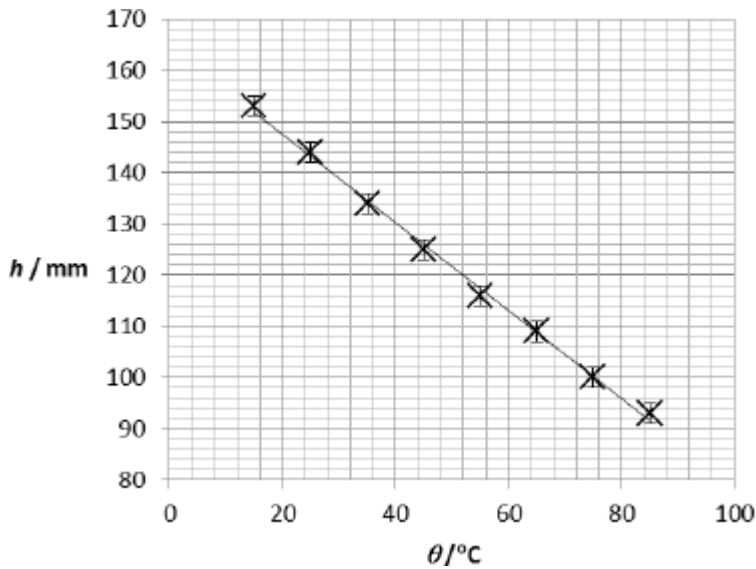
*'Gravity ' on its own is not a force whereas weight is.*

2

[9]

8.

(a) Straight line of best fit passing through all error bars ✓



*Look for reasonable distribution of points on either side*

1

(b)  $h_0 = 165 \pm 2 \text{ mm}$  ✓

1

(c) Clear attempt to determine gradient ✓

1

Correct readoffs (within ½ square) for points **on line** more than 6 cm apart and correct substitution into gradient equation ✓

1

$h_0 k$  gradient = (-) 0.862 mm K<sup>-1</sup> and negative sign quoted ✓

*Condone negative sign*

*Accept range -0.95 to -0.85*

1



(d)  $k = \frac{\text{candidate value for } h_0 k}{\text{candidate value for } h_0}$   
 $= 5.2 \times 10^{-3} \checkmark$   
*Allow ecf from candidate values*

1

$K^{-1} \checkmark$   
*Accept range 0.0055 to 0.0049*

1

(e) for  $h = 8000 \text{ mm}$ ,  $d^{-1} = \frac{8000}{14.5} \checkmark$

1

$d = 1.8 \times 10^{-3} \text{ mm} \checkmark$

1

(f) Little confidence in this answer because

**One of**

It is too far to take extrapolation  $\checkmark$

OR

This is a very small diameter  $\checkmark$

1

[10]

**9.** (a)  $6.5 \times 10^{10} \text{ Pa} \checkmark$

1

(b)  $\text{kg m}^{-1} \text{ s}^{-2} \checkmark$

1

(c) Direction of movement of particles in transverse wave perpendicular to energy propagation direction  $\checkmark$

1

Parallel for longitudinal  $\checkmark$

1

(d)  $\rho_1 c_1 = \rho_2 c_2 \checkmark$   
 $E = \rho c^2$  or  $\rho c = \frac{E}{c}$  seen

1

$\left[ \frac{E_1}{c_1} = \frac{E_2}{c_2} \right]$

1

(e)  $\left[ \frac{\rho_x}{\rho_y} = \frac{c_y}{c_x} \text{ and } c_x = 2c_y \right]$   
 $0.5 \checkmark$

1

(f) speed of the wave in seawater is less than speed of the wave in glass ✓

1

argument to show that  $n_{\text{water}} < n_{\text{glass}}$  ✓

1

so tir could be observed when wave moves from water to glass ✓

1

**[10]**